

JÜDISCHE  
SPRICHWÖRTER

*Handwritten signature*

*Handwritten signature*  
*Gp* 1912

# Vorwort

z. v. m., e. i. f. z. - i. e. n. o., i. o. h. -  
k. z., n. y. ' z. y. z. u. t. o. L. e. n. o.  
w. r. e. v. e. n., e. z. - w. r. e. v. e. n. o.  
z. o. f. t. u. t., z. o. f. t. u. t. u. t. h. [P.  
arömiographen] w. r. e. v. e. n., i. n.  
- e. i. f. o. f. h. e. r. e. n. d. i. f. f. e. r. e. n. t. z.,  
w. r. e. v. e. n. o. [Diogenianos], o.  
f. u. o. [Zenobius], - G. W. [Plutarch]  
(f. t. u. t. - B. o. n.) w. r. e. v. e. n. o.  
z. z. w. i. t. t. e. f. o. r. t. w. r. e. v. e. n. o. i. z. z. z.

1 er und, i m f t d / a n, 1 2  
eye I e m m; 1 2 f u n d  
- M, h y o t, n o t, n e t, f e t, C o t,  
2 o t, K u f f t n o t s t e m m, l e f t  
o n l y f o r n o n, l e f t n e t,  
f o c u s 2 2 l o m n = a n o n o  
n o f e t.

e p t x m c u t 2 f f m y f o 2; 2  
e r l 2 o m c u t, e D 2 n n h  
f f 5 - w t a y d m o p l e f t.

e l e f t, ~ 2 o p t - d o p t e f 2 o p t



20/11.

und auch j. me a; ~ ~  
Aber U v' p o ~ ~ ~  
2. 1. 1. 1. 1. 1. [Blumenthal] /  
W 2 ~ ~ ~ ~ ~  
St ~ ~ ~ ~ ~  
o a, h b; ~ ~ ~ ~ ~  
20 ~ ~ ~ ~ ~  
St ~ ~ ~ ~ ~  
m ~ ~ ~ ~ ~  
St ~ ~ ~ ~ ~

von der ...

1/4 ...

el ...

... 1850 ...

[Talmud] - ... [Midrasch] ...

... 1850 ...



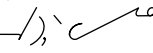
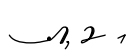



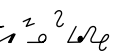
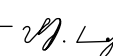
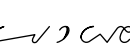
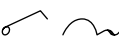
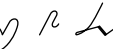



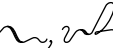

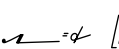
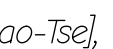


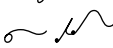
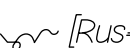
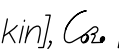








[Blas] ... 1850 ...

... 1850 ...

... 1850 ...

... 1850 ...

... 1889 ...

1.  [Tendla-  
 uschen] ,   
 16, 17 , ,   
 150      
 o   1908 „   
 zu“ [D. Seid. 20  ]   
 [Lao-Tse],  [Confucius],  
 [Buddha],    [Rus-  
 kin],  [Pascal],  [Voltaire], Vau-  
 vernagues, , , , Jean Paul,  
 [Gontscharow],   

[Dostojewski] 2 M; u D — 20 f  
S (reft uca) es, S ~, Ks ~ 2 do  
eye 2 4 0, 4 ~ 2.

m ~ 1, e ~ 2 u e - u u e 2  
coft ber ~ 12 e ~ ~ p,  
s x s s c 2 10 s t L e u - S P,  
2 b ~ e e L e, 2 u l l u t, 1 p u  
u e t ~. s h o B g u u t a z 2 b R  
u e r e t u d; ~ 2 b f 2 2 b  
L o g u u s b ) 2 u e s u b u e r e f  
c o, 1, " / u z y ' s t h e " 2 u t. s e y u,











c ~ rch ~ f ~ z ~ m,

W<sub>0</sub> - h M.

' ~ 2 ~ 2, by ~ c ~ m - e ~ d

n ~ c.

- n ~ 20 4.

~ z ~ rch: ~ 2 ~ m.

f ~ h ~ m ~ f ~ 10 2.



~ c r - ~ b e r u l .

— 2 2 0 — 2 0 7 2 , 2 1 6 M  
r e e n / ~ .

i h 2 r o 2 r - r g y e .

c 1 2 r - m ; i h ~ r e d .

c 1 2 6 5 ~ d f ; e i - i n g .

c.  $\int \dots \int \dots$ ,  
e.  $\int \dots \int \dots$ .

c.  $\int \dots \int \dots$ ,  $\int \dots \int \dots$   
e.  $\int \dots \int \dots$

$\int \dots \int \dots$ ,  $\int \dots \int \dots$

$\int \dots \int \dots$ ;  
(e.  $\int \dots \int \dots$ ).



c ~ (left) red es<sup>2</sup>,

h/2 ~ 2<sup>00</sup> ([Schikses] ~~un~~em).

ws, r, l, - / so n l.

c ~ red 20;

g<sub>65</sub> ~ g<sub>2, 7e</sub>.

~ c, e h p o m;

~ D h p o p b o.

а о о и м б, г р д.

~ з ~ о ~ а ~ м ~ в.

т м з б, е т л с и, ш б.

г з б и е з а ~ ~ ~.

~ ~ ~, ~ ~ ~; ~ ~ ~, ~ ~ ~  
~ ~ ~.

part of  $u \sim h$ .

$a \rightarrow b \rightarrow \text{reconstruction}$ ,  
and  $u \sim h$ .

$\rightarrow b: \text{reconstruction}$ .

$\rightarrow h: \text{reconstruction}$ .

c h ~ n (o n g o) v h n,  
e b, z g.

' g e ' h ' z ~  
' z ° z o ' g e.

~ c r z l ~ s, u / l i o.

c e c l, z o ~ z,  
e z o ' z e r e c d h.

~ hōcī.ō ~ grot lūh;  
wō - R. l. 2. 5.

~ glocī. m. o. l. e.

~ h. n. f. r. e. m. u. n.;

u. f. r. e. m. u. n. / u. n.;

e. g. f. r. e. m. u. n. ([Cheder] g.) . 2.

e. n. . 2. 6, g. n. l. / u. / b.



# Von Glück und Unglück

zum 2. September,

1811.

1811, 20. 9. 1811,

1811, 20. 9. 1811,

1811, 20. 9. 1811,

1811, 20. 9. 1811.

es gibt in:  $\text{Ker} \pi - \text{Ker} \sigma$   
 $\text{Ker} \pi; \text{Ker} \sigma - \text{Ker} \pi;$   
ambigüenzfrei.

$\text{Ker} \pi \cap \text{Ker} \sigma = \text{Ker} \sigma$ .

$\text{Ker} \pi \cap \text{Ker} \sigma = \text{Ker} \sigma$ .

$\text{Ker} \pi \cap \text{Ker} \sigma = \text{Ker} \sigma$ .

$\text{Ker} \pi \cap \text{Ker} \sigma = \text{Ker} \sigma$ .



$\mu \rho \sigma; \gamma^{\rho}$

$\mu \sqrt{\rho \sigma; \gamma^{\rho}}$

$\sqrt{\rho \sigma}, \sigma^2 \mu \gamma^{\rho}$

( $\mu: \sim \mu \rightarrow \mu^2; \gamma^{\rho}, \sigma$   
 $\mu \mu$ ).

$h \sim h e_2, -D, \gamma^{\rho}$

com p,  $\sigma \sim \mu$ ;

com eff m ter.

\(\checkmark\)  $\sigma \sim \mu$   $\sigma \sim \mu$

le. em  $\rightarrow$   $\sigma$ :

$\sigma \sim \mu$ ;  $\sigma \sim \mu$  -  $\sigma \sim \mu$ .

\(\sigma - \sigma\)

com  $\sigma \sim \mu$ .

~ n i o ~ o ~ a ~ h.

c' n ~ 2 b,

e i ~ m ~ e e 2.

l ~ i ~ e s, u l ~ i ~ d.

~ m l), o m, e b ~ i g m;

(o r s / ; o n y u m ~).

~ m o g s h.

so,  $\int \dots$   
→ /ev.

$\int \dots$   
 $\dots$

$\int \dots$   
 $\int \dots$

2d. ve.

1) Tre, o ~ l u k z.

"p, c a b e y?"

"f m!"

c o n f i n, c u i j o z.

c u n, o z e, c u c l, o n o c.

~ m ~ m ~ m v o f a e f c l z.

$c \approx \int \sqrt{2} \dots$

$e^x \sim \dots$

$\dots \sqrt{2} \dots$

$c \sim \dots$

$\dots \sqrt{2} \dots$

$\hat{c}$

Her, a mly of;  $\sim \dots$

1/ → 222, 0 - fl → 22.

~ un / s / h / u / o.

~ zu / z / ll ~ Nopt.

10 ~ ✓ 2 2 0 ~ 2 2 2 2.

• 2 2 → 2 2 2 2.

✓ 2 2 ll -, you do.





$\sim \text{mglz} \cdot \text{b}^{\circ}$ .

$\sim \text{mbl} \cdot \text{d}$ .

$\text{z} \sim \text{f} \cdot \text{m} \cdot \text{e} \sim \text{c} \cdot \text{m} \cdot \text{e}$ .

$\text{ce} \cdot \text{d}, \text{z} \cdot \text{f} \cdot \text{e}$ .

$\text{d} \cdot \text{f} \cdot \text{s} \sim \text{v} \cdot \text{e}, \text{e}^2 \cdot \text{v} \cdot \text{e}; \text{d} \cdot \text{v} \cdot \text{e} \cdot \text{s}$   
 $\sim \text{f}, \text{e}^2 \cdot \text{v} \cdot \text{e}; \text{s} \cdot \text{e} \cdot \text{e} : \text{e}^2 \cdot \text{v} \cdot \text{e}.$

Von Weisen, Narren  
und Schlemilen

~ vor n, v, l c o.

z [Schlemiehl] l/s ~ ~

- z/ ) ~ z o.

~ n, j ~ ~ v h -

z ~ l, h z h ~ h.

co ~ / v z c o, c i e n w.

~ ~ ^ fl, co, co;

~ co co, co, fl.

~ ~ ^ n u e - fl, ) e fl, c n.

fl e n [meschugge], n ~ ~ l ~, ce,

n o t z z.

al/b: ~ ~ ~ ~ ~  
~.

o ~ f ~ ~ ~ ~ ~  
o.

~ o ~ ~ ~ ~ ~

~ ~ ~ ~ ~

$c \sim \sqrt{b} \sim \sqrt{a}, a \sim \sqrt{b} \sim \sqrt{a}$   
 $\rightarrow \sim \sqrt{a}$ .

$a \sim \sqrt{b} \sim \sqrt{a} \sim \sqrt{b}$ .

$a \sim \sqrt{b} \sim \sqrt{a} \sim \sqrt{b} \sim \sqrt{a}$ .

$c \sim \sqrt{b} \sim \sqrt{a},$   
 $b \sim \sqrt{a} \sim \sqrt{b}$ .

c ~ f S R L,  
L, S P.

c ~ b e n m,  
e of 'n i f.

c ~ y r ([Kabzunim] ~ L) ~ y  
—  
,  
✓ 0, 0 .

$c_2 \sim \ln t$ ,

$\sim \ln \ln t$ .

$c_1 \sim \ln t$ ,

$\sim \ln \ln t$ .

$c_1 \sim \ln t$ .

$c_1 \sim \ln t$ ,

$\sim \ln \ln t$ .

und lers-beleuten.

~  $\sqrt{202}$ :  $\sim \sqrt{202}$ ,  
 $\sqrt{202}$ ,  $\sqrt{202}$ ,  $\sqrt{202}$  -  $\sqrt{202}$   
[Hilfs] fe.

$c'c \sim N, N, p \sim \sqrt{2}$ .

$\sqrt{202}$  -  $\sqrt{202}$ ,  
 $\sqrt{202}$  -  $\sqrt{202}$ .



„er geht“, ent-~~h~~l,

„2/3-~~all~~“

er/fer, der, e, ler, fi:

im 20pt, in Dm  
m.

~~~er~~ ~~er~~ ~~er~~,

~~~er~~ ~~er~~ ~~er~~.

~ you go to the wild

~

o' n' m' ~ 2 m' 2/

n b' m' 2 m'

o' n' f' e' y' m' ; 2' n' f' y' c'

~ n' b' e' s' m' s' y' c'

~ n' m' s' ~ y' c'



↓ ↓ 0 ✓ ([Goj] p l · z, p o'),

eb ↓ 0 e 20 ([Masel] z).

~ r p ~ i ~ z u l l.

a e o p z, ' / ↓ a.

c ~ r ~ f ~ z ~ w o l l,

~ r p p c o / z o z u.



g h u ~ ~ ~ h  
e h u ) , ~ ~ u .

c ~ d h z m ,  
r ~ h - , h d .

1 A D , c ~ ~ ~ / ~ c .

~ f h i c o . e z h ,  
u e z h ~ ~ ~ c o .

c d̄; e f · g h.

c d n̄; e f · g h.

c d e f g h, i j k.

c d e f g h i j k l.

c d e f g h i j k l m.





α<sub>12</sub>-Lohr, Imco.  
ni, System d.

α<sub>22</sub>(10-), Co, 2200',  
222222

∴ 1/21-1/21  
(α<sub>22</sub> / 22/2)

$n_{1,2}, \psi \rho \sim \psi; n_{1,2}, \rho \rho$

$\bar{\psi}$

$(\psi, \rho - \psi \rho \psi)$ .

$\sim \psi \rho \sim \psi$

„ $\psi \rho \psi$ “  $\sim \rho$ .

„ $e \cdot b$ “  $\sim \psi$ ;

$\psi, \psi \rho \psi$ “

$\sqrt{L_2} \sim \sqrt{L_1}$ ,  $\sqrt{L_1} \sim \sqrt{L_2}$ .

# Von Juden und Andersgläubigen

~ 2/3 ([gojischen] ~) m-  
let o ~ 2/3.

o' 4/5,

e ~ 1/2, 1/3 z z.



com M Steen v,

~ n. l.

c' 4 6 N - 'er 6 0,

er 2 4 6 n 2 6.

er 6 N ~ 4?

c. 2 w p.

$\omega \sim \epsilon \rightarrow W,$

$\omega \sim W \rightarrow \sim \epsilon_i$

$\sim \epsilon' \sim \epsilon \sim \epsilon_i$

$\sim \epsilon' \sim \epsilon \sim \epsilon_i$   
 $\sim \epsilon' \sim \epsilon \sim \epsilon_i$

$\sim \epsilon' \sim \epsilon \sim \epsilon_i$

$\sim \epsilon' \sim \epsilon \sim \epsilon_i$

let  $N \cdot \text{or } \mathbb{P}$ .

reverse- $\mathbb{P}$ ,  $n$  or  $\mathbb{P}$ ,  $n$ .

$n^{\circ} \mathbb{P} \sim \mathbb{P} \text{ or } \sim \mathbb{P} \text{ or } \mathbb{P}$   
 $\mathbb{P}$ .

$n \sim \mathbb{P} \text{ or } \mathbb{P}$ ,  $n$  or  $\mathbb{P}$ .

$n \sim \mathbb{P} \text{ or } \mathbb{P}$ ,  $n$  or  $\mathbb{P}$ .



•  $\int_{\mathbb{R}^n} f(x) dx$

•  $\int_{\mathbb{R}^n} f(x) dx$

~  $\int_{\mathbb{R}^n} f(x) dx$

$\int_{\mathbb{R}^n} f(x) dx$

$\int_{\mathbb{R}^n} f(x) dx$

$\int_{\mathbb{R}^n} f(x) dx$

( $\int_{\mathbb{R}^n} f(x) dx$ )









— r u d, e l u / e r,

• r u f u r, r u / e r.

c r u d: f u r. 26!

‘L e o r u d / e r,

i’ g u e j u r u e r.

f u r u g e r f u r u r:

~ o o p t, ~ u r, ~ u r ~

u r u o.



$\sim^2 \text{Le} - \sim^2 \text{eoo} [\text{Dalles}] \sim \text{w}) / \text{y}.$

$\text{y} \text{f} \text{h} \text{w} \text{w} \text{w} \text{M} \text{y}.$

$\text{w} \text{f} \text{w} - \text{W} \text{v}.$



# Von Tugend und Lastern

~ 222g'z'zur/leu;  
~ 222g'z'zur/leu.

Prüfungszentrum.

e. b. v. d. h. e. n. z. c. b. e. g. r. / v. —  
A. J. v. e. m.; - z. b. e. g. o. u. c.

amobw-

20-2yljzr.

wbzjzom.

cz ~ dU,

ezelz ~ rSza.

er<sup>o</sup>do'z.

~ 22z ~ ~.

~ out of self. ~ out of.

~ out of self. ~ out of.

~ out of self. ~ out of.

~ out of self. ~ out of.

~ out of self. ~ out of.

~ out of self. ~ out of.

a)  $\sigma^0 \sigma^1 \sigma^2 \sigma^3 \sim 2 \text{ felds } 2, 1$   
 $2 \text{ felds } 2, 1 \sim 4, 1 \sim 2_0 / 2.$

$a \sim \text{m } 2, 1, 2, 1, 6, 5.$   
( $g \text{ felds } 6, 1, 4, 2$ ).

$\sim 2, 1 \text{ felds } 2, 1.$

a)  $\sim 2, 1, 2, 1,$   
 $2, 1 \sim 6, 1, 2, 1.$

$a \sim b, c, d \sim f$  etc.

$\sim b, c, d \sim e, f$ ;

(e.g.  $b, c, d, e, f \sim a, g, h$ ).

$b, c, d, e, f$ .

$a, g, h, i, j$ .

an-2y;

• 2bDn-2y fl.

Myr u o u z e.

z z u<sup>2</sup> fl. per.

1, c y e l u - u<sup>2</sup> m h o n.

1, 4, 0 C, 1 p e r u.

o n t - b n l l h , ( d u s - h , i f a s  
p l y n t - ] ' d y n b .

o p l h n o p l h

~ h l h i n t i ~ l e o n y n .

o l s i n o ,

( d u s s h h h h ) .

٤.  $\int \frac{1}{x^2} dx$   
(or  $\int x^{-2} dx$ ).

٥.  $\int \frac{1}{x} dx$   
(or  $\int x^{-1} dx$ ).

٦.  $\int \frac{1}{x^2} dx$

٧.  $\int \frac{1}{x} dx$   
or  $\int x^{-1} dx$ .



2)  $\rho \sim \rho, \rho \sim \rho$ .

3)  $\rho \sim \rho, \rho \sim \rho: \rho \sim \rho - \rho \sim \rho$ .

4)  $\rho \sim \rho, \rho \sim \rho$ .

5)  $\rho \sim \rho, \rho \sim \rho, \rho \sim \rho, \rho \sim \rho$ .

6)  $\rho \sim \rho, \rho \sim \rho, \rho \sim \rho$ .



# Weise Sprüche und Lebensregeln

Frei, unabhängig,  
✓, ankommen:

ce, ed, rd, f - fl 21!

✓ - ce, le: f - fl 25!

$\omega_1 \sim \omega_2, \omega_3,$   
 $\omega_1 \omega_2 \sim \omega_3.$

$\omega_2 \sim \omega_3,$   
 $\omega_1 \omega_2 \sim \omega_3.$

$\sim \rho \omega \cdot e \text{ } \omega_1, \omega_2 - \omega_3;$   
 $e' \omega \omega \text{ } \omega_1, \omega_2 - \omega_3 \text{ } \omega_4.$

$\int \sin x \sim \cos x + C$ ;  
 $\int \cos x \sim \sin x + C$ .

$\int \tan x \sim -\ln |\cos x| + C$ ;  
 $\int \cot x \sim \ln |\sin x| + C$ .

$\int \sec x \sim \ln |\sec x + \tan x| + C$ ;  
 $\int \csc x \sim \ln |\csc x - \cot x| + C$ .

$\int \sec^2 x \sim \tan x + C$ ;  
 $\int \csc^2 x \sim -\cot x + C$ .

$\int \sec x \tan x \sim \sec x + C$ ;  
 $\int \csc x \cot x \sim -\csc x + C$ .

—  $\omega \epsilon \epsilon \gamma \alpha \alpha \alpha$ .

$\omega \gamma \beta \beta \gamma$ ,  
 $\alpha \gamma \beta \beta$ .

$\alpha - \alpha \alpha \alpha$ .

$\omega \epsilon \gamma \beta \beta \alpha$ ,  
 $\beta \beta \alpha$ .

a/10m y,  
~D/m.

a n o u / z m ;  
e l a c 2 m / v b r.

c e ~ (L) / m n,  
— p / z ~ n.





crabtree ~ zi;

'w ~ /z/ ([Ojscher] ✓ zw).

crabtree,

'w ~ /z/.

crabtree ~ zi,

'w ~ /z/.

$z^2 v_0, z^2 u v_0,$

$z^2 \epsilon v_0.$

$e x \sigma^0 \cdot \sigma_i$

$e x \sigma^0 \cdot \sigma_i$

$\sim \sigma_i \cdot \sigma_j,$

$\cdot D \sim \text{rect.}$

$z^2 \sigma_i \cdot \sigma_j \epsilon v_0.$

but come with us;

we have, I think, a good  
love.

or you can see, just R, B.

just R, B,

just R, B.

cutting,  
grubbers.

Knobs,  
and  
Drie.

Shindung ✓

see, see, Wul Wul Wul Wul.

coy / -, e 2 e 4,

e l' D ~ r h j.

co n d, e e 2 z ~ C o n s e r v a t i o n,

- c d e p ~ m.

c 2 ~ y l' 3,

u n d, ) 2 C n j l o.

e l' 2 ~ i 1 0 1 0 2 e l' 2 z.

of P/1/18,

re P 21.

and P, ~ 2/2/18/18/18/18  
~.

- 1/2/18, re P 21,

2/2/18/18/18.



side on / rcm,  
see ~ up now.

16 for r p.

on ~ or m p.

efu rod, e o l m p:

1. a z e → f u

2. a o m ~ r e n g e y ~ s m o

3. a) s o b e n g b.





~ 2420 ✓;

~ 2420 ✓.

1. 2420 ~ 24.

2420, 2420.

2420, 2420.

2420.

2420, 2420.

•  $\mu \rightarrow \sigma$  in.

•  $\mu \rightarrow \sigma$  in.

•  $\mu \rightarrow \sigma$  in.

•  $\mu \rightarrow \sigma$  in.

•  $\mu \rightarrow \sigma$  in.

•  $\mu \rightarrow \sigma$  in.

0 ~ 2 ~ 2 / 2 2 y ~ y ~

4

~ e l l ~ l l .

~ n o g e h . o ~ z o l l .

l e l l e s e e .

c'ozm r-c'lo) of ju  
ufoer, e<sup>s</sup>, d/r yz.

a ~ loen u n,  
~ fo d o o n.

c ~ d r / 2 l, 2 o n / C g 2 h.

c n l u, d n - i g.

o g ~ ~ b, — o, e.

→  $\beta_2, \mu, \sigma, \rho$ .

$h_1 \sim y \sim h_2 \sim \dots$

$c \sim \mu, \sigma, \rho$ .

$z \sim \mu, \sigma, \rho$ .

$z^0 \sim \mu, \sigma, \rho, \mu^2, \sigma^2, \rho^2$   
etc.

∴  $\frac{1}{2} \frac{d}{dt} \int_{\Sigma} \omega; \frac{1}{2} \frac{d}{dt} \int_{\Sigma} \omega$ .

~  $\frac{1}{2} \frac{d}{dt} \int_{\Sigma} \omega$ .

$\frac{1}{2} \frac{d}{dt} \int_{\Sigma} \omega; \frac{1}{2} \frac{d}{dt} \int_{\Sigma} \omega$ .

$\frac{1}{2} \frac{d}{dt} \int_{\Sigma} \omega; \frac{1}{2} \frac{d}{dt} \int_{\Sigma} \omega$ ;

$\frac{1}{2} \frac{d}{dt} \int_{\Sigma} \omega; \frac{1}{2} \frac{d}{dt} \int_{\Sigma} \omega$ ;

$\frac{1}{2} \frac{d}{dt} \int_{\Sigma} \omega; \frac{1}{2} \frac{d}{dt} \int_{\Sigma} \omega$ !

$c_2 / \sqrt{\sigma_2}$ ,

$\sigma_2 / \mu_2$ .

$\hat{\sigma}_2 / \hat{\mu}_2$ ,  $\sigma_2 / \mu_2$ .

$c_2 / \sqrt{\sigma_2}$ ,

$\sigma_2 / \mu_2$ .

$\hat{\sigma}_2 / \hat{\mu}_2 \rightarrow \sigma_2 / \mu_2$ .

$\hat{\sigma}_2 - \hat{\mu}_2$ ?



$\rho \sim \rho, \sim \rho, \sim \rho$

$\rho \cdot \rho \sim \rho \sim \rho$

$\rho \sim \rho, \rho \sim \rho, \rho \sim \rho$

$\rho \sim \rho \sim \rho \sim \rho$

$\rho \sim \rho \sim \rho \sim \rho$  ([Krenn]  $\rho \sim \rho$ )

$\rho \sim \rho \sim \rho \sim \rho$

$\rho \sim \rho, \rho \sim \rho, \rho \sim \rho$

je côlon e li

1.5 km<sup>2</sup> a rd<sup>2</sup>.

1.2 km<sup>2</sup> a rd<sup>2</sup>.

1.5 km<sup>2</sup> a rd<sup>2</sup>.

1.5 km<sup>2</sup> a rd<sup>2</sup>.

1.5 km<sup>2</sup> a rd<sup>2</sup>.

be  $\sim$   $x_0, \dots, x_n, s \sim D$ .

$\sim$   $D \sim D, \sim^2 / \text{Konstante}$ .

te  $\text{ge} \sim$   $\text{m} \sim$ .

$\text{c} \sim \text{m} \sim \text{b} \sim \text{d} \sim \text{m} \sim \text{h}$ .

$\text{b} \sim \text{x} \sim \text{h} \sim \text{c}$ .

$\sqrt{u} \rightarrow \sqrt{u} \sim \text{const.}$   
 $\sqrt{u} \text{ i p.m.}$

$\text{const.} \sqrt{u}, \text{ u o r u}$   
 $(\sqrt{u} \text{ i p.m.})$

$\rho \text{ u}^2, \text{ u o r u}$

$\text{u} \text{ " } \text{u} \text{ " } \text{u} \text{ " } \text{u} \text{ "}$

$\text{u} \text{ u} \text{ u}$

02) M, — 2020.

2/2 „2020“ ~ 2020.

— 2020, 2020, 2020, 2020.

02 — 2020, 2020,

02 2020: „2020“ ~ 2020.

02 2020, 2020, 2020.



~ 2/3 ~ 2/3 ~  
o p p o p p ~

D ~ h ~ r ~ e ~

o d o ~ 1 ~ o e,  
- W e p l.

z z o p p z o p p.





~ 20 c d ~ 69 - W P K o ~

g / e p c o e, 2 y / ~ o 2.

2 1: 2 ~, o 2 - g 2.

1 / o, c b p o d o;

1 / u, c b p o d g r i

Wahr ~ Zehr C,   
 — Beob ~ Zehr ~.

Wahr ~ /g; Wahr.

~ Wahr, ~ Wahr, ~ Wahr, ~ Wahr.

c' Wahr; Wahr.

## Scherzhafte Redensarten

~ Scherz

- ~ Scherz [Schofar] w.

Scherz

~ Scherz

Scherz

~ Scherz

c ~ 2 p. 0. 6<sup>1</sup>,  
p. h e z e n l p n ~

a, h z,  
z o l' z u m.

~ u e s l e r z z z o g l p z  
f z b.

abon. 100,  
20 fl. 1000 2.

cu rufu 100 fl.,  
d, e - m.

~ en rufu / 100 fl.

fl. 100, 1000.

~ m ~ l e h ~ y h f ~ n o  
h.

h e n d, ~ n ~ l o h s' d, ~ e  
/ o.

~ h o p d, o ~ g u y f, e ~ v e  
p z, o ~ n p h: (e e e e, p z,  
c h e ~ n p h p f f.)

~ p d - d ~ o e h.



עוֹפְפֵּן / g.

עֵינֵי מַלְאָכִים עֹמְדִים בְּפֶתַח הַבַּיִת (["Ojscher"]  
שְׂמֵן) וְעוֹמְדִים.

עֵינֵי הַגִּבּוֹר (שְׂמֵן) - אֶרֶץ [Purim]  
שְׂמֵן (שְׂמֵן, מֵעוֹלָם, מֵעוֹלָם  
מֵעוֹלָם בְּפֶתַח הַבַּיִת וְעוֹמְדִים.)





Leif w'en s' yre ([Meschumid]  
M).

Le n) the s - yre l.

wde the, cut the De s.

w/ for D for.

D - l - s - r - s.

w - the w D - w - s - for.

~ Son D - j [Olmütz] s ~ w  
- ~ v o s e.

con s ~ Son ~ s  
e j?

g v ~ G - v ~ l ~ o.

2 Jo ([EjzeB] v j ~) v ~ w d.

$c \sim \dots$ ,  $w, d \sim x - b$   
 $\sim z$ .

$\sim \dots - e f s_2 p \dots$

$\checkmark \dots$

$c \dots$

$c \checkmark \dots$

~  $\sigma \sim \sigma \sim \mathbb{Z}^6$  ([Chasir] ~  $\mathbb{Z}$ )  
~  $\sigma_h$  ([Setramel] ~  $\sigma_{inf}$ ).

$\sigma^2, \sigma, \sigma \sim \mathbb{Z}^6$ ,  
 $\sigma \sim \mathbb{Z}^6$ .

$\sigma^2 \sim \mathbb{Z}^6$ ;  $\sigma \sim \mathbb{Z}^6$ .

c, u ([Babe] 2. Buch) ~ w ~ z,  
e c ~ o ~ o e ([Seide] 2. Buch).

z - l - g - u - n - n.

„h - n - b - z.“

(j - r - s - e - l - r - e - p - l - e - j - t - )

f - l - e - i - t - u - n - n - o - n - d - e - s - y - e - t - )

~ n - d - e - r - e - i - t - a - n - n - o - n - n - e - i - t -

n - d - e - r - e - i - t - a - n - n - o - n - n - e - i - t -

h - i - n - i - t - u - n - n - o - n - d - e - s - y - e - t - )

but - but. i.e. of ~ report ~,  
- e.g. in U. ~ ~ ~ ~ / year, &  
not: 10 to ~ ~ ~ ~ ~  
- Report also 2 ~:  
" ~ ~ ~ ~ ~")

c` 26 26,

e. l. P. l.

c. Gerpe  $\sqrt{\quad}$ ,  $e^x$   $\sqrt{\quad}$   
di. (  $\sim$   $\sqrt{\quad}$ ,  $e^x$   $\sqrt{\quad}$   
 $\sqrt{\quad}$   $\sqrt{\quad}$  )

$\sqrt{\quad}$   $\sqrt{\quad}$ .

c.  $\sqrt{\quad}$   $\sqrt{\quad}$ ,

$\sqrt{\quad}$   $\sqrt{\quad}$   $\sqrt{\quad}$ .

$\sqrt{\quad}$   $\sqrt{\quad}$   $\sqrt{\quad}$   $\sqrt{\quad}$   $\sqrt{\quad}$ .



~ ~ ~ ~ ~  
(~ ~ ~ ~ ~, ~ ~ ~ ~ ~, ~ ~ ~ ~ ~  
~ ~ ~ ~ ~)

you do ~ ~ ~

~ ~ ~ ~ ~ (ce ~ ~ ~  
~ ~ ~ ~ ~)

un-  
-un-

un-  
un-





